Lahar Flow Models

References:

Encyclopedia of Volcanoes: pp 601-616

Scott, KM, 1988, Origins, behavior, and sedimentology of lahars and lahar-runout flows in the Toutle-Cowlitz River system: USGS Prof. Paper 1447A.

Iverson, RM, 1997, The physics of Debris flows, Reviews of Geophysics, 35:245-296

Model Constraints

- Flows are neither steady nor uniform
- Pore pressure is laterally heterogeneous
- Mobility governed by fluid interiors with lithostatic pore pressures and resistant coarse-grained exteriors
- There is a range from frictional to collisional grain interactions

Flow Resistance

- Bingham model
 - Assumes a rigid plug
- Bagnold model
 - Assumes grain collisions
- Combination model
 - Coulomb friction plus collisional losses

Shear Strength

• $k = c + \sigma \tan \phi$ k = shear strength c = cohesion $\sigma = \text{normal stress}$ $\phi = \text{friction angle}$ • $\sigma = (\sigma - P)$ P = pore pressure

Bingham Model

- Describes movement of clay slurries
- A rigid plug is inferred
- Resistance depends on viscosity (µ) and strength (S) of the material

 $\tau_{\rm b} = S + \mu \, du/dt$

Bagnold Model

- Assumes that grain collisions are important
- Resisting stress in granular flow is given by:

$$\tau_{\rm b} = \nu \rho_{\rm s} d^2 (du/dt)^2$$

 \mathbf{v} is the solids fraction d is the particle diameter ρ_s is the density of solid particles d² (du/dt)² is proportional to the granular temperature

Combination Model

- Both Coulomb friction and collisional losses
- Movement in a viscous fluid

 $τ_f = v (ρ_s g h - P) tan (φ)$ tan (φ) is the friction coefficient P is the fluid pressure

- If $P = \rho_s g h$ the flow is liquefied
- At the flow perimeter $P = \rho_f g h$
- In the flow interior, $P = 0.8 \rho_s g h$

Flow Components

- Fluid phase
 - Frictionless mixture water and fine particles
 - Responsible for cohesive strength
- Granular phase
 - Coarser particles
 - Determines frictional strength

Flow Transformations

- Debris avalanches
- Debris flows flows
- Hyperconcentrated flows
- Stream flows



Hydrograph

- Flow characteristics vs. time
- Stage height (m)
- Discharge

 $-Q(m^{3/s})$

- Area under the curve is total volume
- Maximum discharge
- Duration







Geometric Considerations

- Source
 - Size and shape
 - volume
- Deposit
 - Cross sectional area
 - Planimetric area

Source Characteristics

- General failure body
- Saucer shaped geometry
- Terzaghi (1931) slip surface
- Volume approximation
 - cone formula
 - $-\,volume\sim~1/3~\pi~r^2h~\sim~A~h/3$

Method of Slices

 $F = (\Sigma S_{ui} l) / (\Sigma W_i \sin \alpha_I)$

- S_u = undrained shear strength
- l = length of arc
- W = weight of slice
- α = slope angle of slice



LAHARZ Model

Reference:

Iverson, Richard M., Schilling, Steven P., Vallance, James W., 1998, Objective delineation of laharinundation hazard zones, Geological Society of America Bulletin, 110 (8), p. 972-984.





Hydraulic radius (R) = Wetted perimeter * Area

Deposit Geometry

- Cross sectional area (A_{sec})
 - Stream profile
 - Top of deposit/flow
- Planimetric area (A_{sur})
 - Outline of deposit
- Cumulative volume calculation

Calculation of Areas

- Model of Iverson et al. (1998)
- Sectional Area $A = 0.05 V^{2/3}$
- Planimetric Area B = $200 V^{2/3}$
- Volumes are incrementally deposited

Pico de Orizaba

- Many large debris flows have occurred in the past
- Several orders of magnitude modeled with LAHARZ
- This is the basis of a debris-flow hazards map of the volcano



Colima Lahar, Barranca La Lumbre, 1 June 2000





Volcan Colima

- Most active volcano in Mexico
- Large volcanic debris avalanches and lahars occurred in the past
- Recurrence interval is about 2000 years for large events
- Recurrence interval for small lahars is about 100 years



Mount St. Helens Mudflows

- Followed major drainages
- Several types represented
- Present a large geologic hazard



